Abstract—We introduce the Dragonfly system, which is designed to classify on the fly the congestion control algorithm of any flow that crosses a given router, starting at any time, and quickly reach a reasonable accuracy. To do so, we discuss the unique challenges of real-time congestion control classification. We explain how the number of bytes of the flow within the shared router queue contains an intrinsic memory that significantly helps real-time classification. However, we show that this number of bytes is not straightforward to compute in real time, and introduce ways to do so. We further design an eBPF-based scalable traffic-collection system that helps dynamically filter specific flows at high rates. Finally, we evaluate our Dragonfly system using a variety of platforms, and show that it clearly outperforms state-of-the-art algorithms.

I. INTRODUCTION

Cloud providers and internet ISPs face two significant challenges when their routers experience congestion: Determining why there is congestion, and finding how to handle this congestion. These challenges are especially acute now for cloud providers, who face a convergence of several trends. First, cloud users pay for good network performance and expect it, given the fierce competition between providers [1]. Second, several available VM (virtual machine) tools enable users to quickly pinpoint network issues and blame their cloud providers. Third, cloud users can relatively easily change the CCA (congestion control algorithm) that runs in their VMs. Therefore, they can implement aggressive CCAs that do not provide fairness against competing vanilla TCP flows. For example, Cubic can take up to 80% of link bandwidth when competing with (New)Reno, and BBR can starve competing Reno and CUBIC flows [2]–[9]. Fourth, cloud-based TCP-split proxies can make these CCAs even more aggressive [10]–[12]. Finally, CCAs increasingly use a wide diversity of congestion-detection mechanisms: from loss to delay, from ECN to INT (in-band network telemetry), from destination-based credits to switch feedback, as well as hybrid mechanisms that rely on a subset of these [7]–[9], [13]–[21].

Why? Upon congestion, providers cannot tell why it happens. In fact, they cannot even tell what CCAs are going through their networks. For instance, when some flows take over the buffers in their routers, providers can know their flow 5-tuples, but no existing algorithm enables providers to easily zoom in on these flows and determine in real time that these are BBR flows that are overpowering their CUBIC traffic. One approach for cloud providers would be to peek at the tenant VMs that cause congestion. But providers do not have easy access to their tenant VMs, not to mention many privacy, security and encryption issues that force them to treat VMs as black boxes [22]. Instead, in the paper, we focus on the alternative goal of identifying the flow CCA on the fly and locally within the congested router link. Existing CCA classification algorithms fail at achieving such a goal because they often assume that they can also monitor the reverse-path packets, and later provide an offline identification that leverages the packets from both paths [23]–[26]. In contrast, DeePCCI [27] does not need to monitor the reverse path, but due to its architecture, it is unclear whether it can easily start monitoring a flow in the middle of transmission, and whether it can scale to more than a handful of flows. Furthermore, Seibr [28] is designed to run at high line rates, but has trouble handling more than two TCP flavours.

How? Providers also do not have simple tools for how to handle congestion. A naïve approach would be to apply one of the many fair-queueing [29]–[31] and/or admission-control related algorithms [1], [6], [32], [33]. However, as recently explained by Cebinae [16], fair-queueing algorithms cannot meet the hardware requirements of routers in the internet and public clouds, and admission-control algorithms that drop overflow packets poorly affect non-loss-based CCAs. Instead of using a full-fledged fair-queueing algorithm, Cebinae attempts to achieve reasonable fairness by slightly reducing the rates of a few heavy hitters. However, in practice, since Cebinae does not know the CCA of the heavy hitters, it always knocks them with a triple combination of losses, latency, and ECN bits. Heavy hitting the heavy hitters in this CCA-oblivious way may yield large oscillations and potential starvation, again hurting user-perceived performance. Thus, we are back to the fundamental problem of not knowing the CCA. If providers could identify the CCA of these heavy hitters, they would fine-tune their congestion signal to each heavy-hitter flow based on its CCA. However, even if they are back to the fundamental problem of not knowing the CCA. If providers could identify the CCA of these heavy hitters, they would fine-tune their congestion signal to each heavy-hitter flow based on its CCA.

Contributions. We introduce Dragonfly, a generic CCA classification system that enables providers to focus at any time on any flow that crosses their router, and obtain its CCA with a reasonable accuracy. To do so, we introduce CBIQ (connection bytes in queue), which measures the number of bytes used by the monitored flow within the large router buffer shared by all flows. We explain why CBIQ has unique intrinsic-memory properties that enable it to outperform other measures. We also develop an $O(1)$ algorithm to efficiently compute CBIQ.
Finally, we develop Dragonfly around CBIQ, and implement a Linux-based eBPF Dragonfly architecture to dynamically select the monitored flows at high line-rates.

We evaluate the Dragonfly system using three platforms: (1) a Mininet network emulation, (2) a physical-network testbed, and (3) a testbed with remote cloud destinations. We show that on all platforms, Dragonfly outperforms state-of-the-art architectures. For instance, when flows are destined to remote cloud servers, Dragonfly achieves an $F_1$ accuracy score of 0.58 when checking a random sub-interval of 100 ms, and 0.85 with a 1-minute interval. DeePCCI [27] achieves 0.2 and 0.62 accordingly. Finally, in an additional speed experiment, we show how a bespoke sampling method enables eBPF to collect and analyze 20-Gbps traffic.

The full Dragonfly code is available online [35].

II. DESIGN GOALS

We consider a FIFO router buffer that is shared by many flows. We focus on an arbitrary flow, starting at an arbitrary time, and try to determine its CCA.

Minimal router monitor. Our goal is to design a passive CCA classifier that relies on a minimal amount of non-intrusive information from the router. Specifically, we only intend to monitor the ingress and egress lines. We are allowed to know when packets of a given flow arrive at the router or depart from it, and use their header information. We should not use information from the ACKs (since they may be in another linecard, if not in another router). For a scalable approach, we should not monitor nor look inside the shared queues, and neither should we use dropping information from the queues.

Real-time. The Dragonfly system should be able to classify any flow on the fly, i.e., starting from any point in time. Unlike offline systems that need to collect full information about a flow from start to finish before running a classification process, we want to be able to classify a flow even through we are missing both past and future information.

Scalable traffic collection. The Dragonfly system should be able to scale its traffic collection to high line rates. Ideally, its amount of collected data and its input computation complexity should be in $O(1)$ for each slot, and not scale with the flow rate. It should also be able to scale to a large number of flows, and to dynamically change the list of monitored flows.

Scalable classification. The Dragonfly classifier part should be able to scale to high line rates. To do so, it should rely on a simple neural-network architecture, avoiding expensive components that take significant processing power.

Reliable classification. The Dragonfly system should be able to classify any in-flight flow, starting at any time, and reach a reasonable accuracy in a short time. It should be resilient to the influence of topology settings, of the classification starting time, of additional flows in the shared router queue, and of sampling only some of the packets. Moreover, it should be generic and dynamically adapt to the properties of each congestion control, without requiring bespoke modifications or any detailed domain knowledge of each congestion control.

TCP. In this paper, we focus on TCP CCA variants with available sequence numbers, since they are the most common.

III. DRAGONFLY ALGORITHM

Overview. We use a standard classification framework: given an arbitrary in-flight flow, we start to collect at an arbitrary time a sequence of measures for this flow. This sequence of measures then forms an input array for a neural network, which outputs a guess for the flow CCA. Below, we start by discussing the input measures that should be used for our classification (§III-A, §III-B), then tackle problem-specific traffic-collection (§III-C) and input-computation challenges (§III-D), before describing the neural network (§III-E).

A. Input Aggregation

Per-packet raw inputs. We want Dragonfly to classify the CCA of a monitored flow based on information that we only collect from a given router. Therefore, as a first step, we collect per-packet raw inputs provided by the router: for instance, for each packet, both at the ingress and at the egress, we can record the packet’s (1) flow 5-tuple (source IP address & port, destination IP address & port, and protocol), (2) captured arrival time, (3) packet length, (4) TCP timestamp $T$Val set by the flow source (when available), and (5) packet sequence number from the TCP header.

Per-slot inputs. Directly feeding the above per-packet raw inputs into the Dragonfly system raises several issues. In particular, a sudden large burst of packets from a monitored flow could temporarily require a classification processing rate that is above the Dragonfly capacity, and therefore jam the system and degrade its real-time properties. Instead, we choose to aggregate the per-packet raw inputs into per-slot inputs, e.g., to obtain one input per monitored flow every 1 ms. This design choice clearly loses some information in the aggregation process, to the benefit of an increased reliability in the processing speed, which increases Dragonfly’s readiness for real-life implementation.

In the Dragonfly system, we implement the following approximate per-slot inputs for each monitored flow, based on the above per-packet raw inputs: (1) ingress throughput, i.e., number of packets or number of bytes arrived for this flow in this slot, (2) similarly, egress throughput, (3) estimated number of packet drops in this slot because of a full buffer (this is only an estimate based on the sequence numbers, not a direct measure), (4) estimated CBIQ (Connection Bytes in Queue), which we define as the number of bytes in the shared queue that belong to this flow at the end of the slot, (5) maximal source time gap: for each incoming packet, we compute the $T$Val difference with the previous packet from the same flow (i.e., for the $i^{th}$ packet of a flow, we compute $T$Val($n$)-$T$Val($n-1$)), and later take the maximum among all packets in this period, and (6) maximal arrival time gap, computed in the same manner but based on the capture timestamp upon arrival at the router rather than on the source timestamp. Note that aggregating raw data is not novel. DeePCCI [27] relies
on a measure similar to the per-slot ingress throughput, and Seiðr [28] relies on an input akin to the histogram of the capture arrival time gap.

B. CBIQ

Need for Built-in Memory. As detailed below, a key insight regarding the above design goals of the Dragonfly algorithm is that they favor the use of an input measure that can “remember” the past. In other words, the input measure at some time \( t \) should also provide us some indication on what happened before \( t \). This is a key reason behind our use of CBIQ: the queue size devoted to a given flow reflects its cumulative arrival process (cf. Lemma 1.1 [36]), i.e. an integral of part of its past throughput. Therefore, even though we measure it at a single point of time, it implicitly tells us something on its past throughput.

We are interested in “remembering” the past for two reasons: First and foremost, since we intend to catch a flow in-flight, i.e., analyze it starting from an arbitrary point in time and provide real-time online classification, we cannot rely on using measures of its past. We can only measure from the point we focus on it. As a result, we do not have direct access to such measures as its past throughput. Similarly, any memory scheme that we could add to a neural network (e.g., LSTM) cannot tell us about what happened before it starts computations. On the other hand, by relying on an implicit memory-based measure, CBIQ provides us from the start with some limited information about the past, going back several RTTs. For instance, assume that we start measuring an arbitrary flow at an arbitrary time \( t \), and that the CBIQ value at \( t \) is high. Then this immediately tells us that there is a good chance that the considered flow was more aggressive in the recent past, since it takes a large portion of the shared buffer. This immediately strengthens the probability that the flow uses for example BBR rather than CUBIC or Reno. As a result, CBIQ can provide us useful information even if we only measure it for a short time.

In addition, the built-in memory in CBIQ helps us because it can reduce the volatility of the input. Fig. 1 illustrates the evolution of CBIQ vs. that of the ingress throughput. We can see that CBIQ is less volatile (noisy). This helps us in two ways. First, we can see for instance how CBIQ exhibits a near-linear increase with Reno vs. a cubic shape with CUBIC. On the other hand, the large noise in the throughput measure makes it difficult to distinguish the two algorithms. Second, if we are to use random sampling of packets in order to increase the throughput of the system, then a less volatile sampled measure is expected to be more resilient to the sampling noise as the sampling rate increases.

Experiments. Fig. 2 illustrates the typical classification performance of the Dragonfly neural network when it is forced to rely on each of the above per-slot inputs. We first select the four inputs that perform best in Mininet simulations. We then keep these four inputs and run experiments in a physical network. We train and test the classifier using hundreds of one-minute runs that implement a wide variety of settings. In each run, we send three special flows, implementing Reno, CUBIC and BBR. We vary the number of competing flows and the buffer size of the bottleneck-link router (as detailed in §IV-B). We then choose to classify each special flow based on a random sub-interval of 100 ms.

The experiments confirm our intuition. We can see that CBIQ is the best performing input, while ingress throughput and egress throughput are second and third, respectively. Furthermore, adding more inputs to CBIQ only yields a marginal
benefit. Since we want a generic and reliable solution, we decide to employ the top two inputs in the Dragonfly system, i.e., CBIQ and ingress throughput. However, in the results below, we also compare against a Dragonfly solution that only employs CBIQ. Note that in all these experiments, all packets have the same size and TSO is disabled, so byte-based and packet-based throughput measures obtain identical performance.

TSO. As in the literature, we start by implementing the ingress throughput by using the number of incoming packets per time-slot [27]. However, we find that the performance of ingress throughput drops drastically when used in a software router that relies on TSO (TCP Segmentation Offload). This is because the packets are aggregated, and therefore the internal number of aggregated ingress packets does not reflect the real number of incoming packets. As a result, we turn to using byte-based counts of ingress throughput per time-slot. We find that it solves the TSO issue.

C. Scalable Traffic Collection

tcpdump challenges. We start by collecting the inputs using the common tcpdump [37]. However, we face two major challenges in light of our above design goals. First, tcpdump is too slow in processing traffic. We find that a 1-minute traffic at 1 Gbps takes 4 min just to extract the headers, even with a strong Core i7 10th-gen. processor. Second, we want the traffic collection filter to help the system analyze only selected flows, and ignore the remaining traffic. Third, we want to be able to quickly and dynamically change the list of flows to analyze. Unfortunately, tcpdump relies on the libpcap library [37], and traditional traffic analysis libraries such as libpcap and Scapy [38] use BPF (Berkeley packet filter) as a filtering method. BPF filtering is static, and therefore inappropriate.

eBPF. As a result, we select eBPF (extended BPF) as our filtering solution. eBPF can extract protocol header fields faster than libpcap, and can use lookup tables and C code to make a dynamic filtering decision.

Fig. 3 shows the eBPF architecture in a Linux router. We start by defining a slot time of 1 ms and a packet capture time of \(N\) ms (e.g., \(N = 100\)). Every \(N\) ms, we update a list of flows to monitor, and apply the following steps.

Phase 1. We start the packet capture for \(N\) ms. For every ingress and egress packet: (1) In kernel space, extract the flow’s 5-tuple values from the IP and TCP headers. (2) Lookup in the first eBPF map whether the packet belongs to a monitored flow. (3) Decide accordingly whether the packet should be monitored. (4) If so, extract some more values from protocol headers, such as packet size and capture timestamp, and store them in a second, packet-capture eBPF map.

Phase 2. After \(N\) ms, conceptually stop the capture for this period, then: (5) Convert the format of the packet-capture eBPF map to a userspace raw-data Python dictionary. (6) Use the Python dictionary to create a Python DataFrame of per-slot inputs (cf §III-A and §III-D). (7) Use the DataFrame as input for the learning system, and classify the flows. (8) Update the list of classified flows in the first eBPF map. (9) Empty the packet capture eBPF map and start over.

Sampling. We find that in practice, the bottleneck to scaling the Dragonfly system to higher line rates is not in the classification speed, but in the quantity of traffic handled by the eBPF traffic collection. To further scale the Dragonfly system and be able to classify more in-flight flows at extremely high rates, we add two sampling modules:

First-packet sampling. We implement in eBPF the option to only keep the first packet for each time slot, and drop the other ones. This reduces both the raw-input dictionary size and the computation complexity (as detailed in §III-D). To do so, for each incoming packet, we get the current time, round it to time-slot resolution, and look up the map. If there is a value for this flow in this slot, ignore the packet, else process it.

Random sampling. Sampling the first packet of each slot makes it easier for Dragonfly, because it does not alter the CBIQ estimation. To make things harder, we add a random-sampling module before our eBPF implementation. This module simply keeps a given percentage of the packets by selecting them uniformly at random, and drops the other packets of the flow. The traffic-collection code then needs to proceed using these packets only. Our goal is to check whether by sampling for example 10% of the packets, we are able to achieve a reasonable decrease in classification performance, in exchange for the 10× decrease in the packet rate.

D. Dragonfly Input Computation

Challenges. One of the challenges for the Dragonfly classification system is to compute the per-slot inputs based on the raw per-packet inputs. In an online real-time classification, unique challenges arise: (1) we wish to classify a flow based on an arbitrary period of time that does not necessarily contain the flow start period, and therefore we lack an initialization value, (2) we wish a fast \(O(1)\) computation for the input values at
each slot, independently of the flow rate, and (3) in case of random sampling, we may lack many of the packets.

**Online computation without random sampling.** Table I illustrates an online real-time computation of CBIQ and of the ingress throughput. We assume that it starts at time $t_0$ (ms), i.e., 100 ms after the flow start. We want to provide a fast $O(1)$ computation at each slot.

**CBIQ.** At each slot $t$, we compute $CBIQ(t)$, the number of bytes of the monitored flow that have entered the shared buffer and not yet departed by the end of the slot. Unfortunately, since we do not have the raw input for the start of the flow, we do not even know the initial CBIQ at the start of the sub-interval, and cannot assume that $CBIQ(t) = 0$ at the start. Furthermore, we could somehow approximate CBIQ at the start of the sub-interval, then compute at each slot the total number of incoming and outgoing bytes to estimate the evolution of CBIQ. However, this can be an issue at high flow rates: the computation time and needed raw-input dictionary size increase with the number of packets in the slot (§IV-D).

Instead, we adopt an alternative approach. For each slot $t + 1$, at the ingress (resp. egress), we record the sequence number of the first byte of the first arrived (resp. departed) packet, and denote it as $InSeq(t + 1)$ (resp. $OutSeq(t + 1)$). We then approximate the last byte arrived (resp. departed) by the end of the previous slot $t$ using $InSeq(t + 1) - 1$ (resp. $OutSeq(t + 1)$). Then, we approximate CBIQ as their difference: $CBIQ(t) \approx \max([InSeq(t+1) - 1] - [OutSeq(t+1) - 1], 0) = \max(InSeq(t + 1) - OutSeq(t + 1), 0)$. Intuitively, the bytes represented in this difference are the bytes that have entered the queue and not departed, thus representing the queue size. Of course, we neglect losses and retransmissions, and assume in-order transmission, so this is only an approximation.

As Table II(a) illustrates, there is an additional challenge: the next slot may not have an arrival (resp., departure). Therefore, we would need to use the first arrived (resp., departed) packet of the next non-empty slot. For instance, in the left-side, unsampled part of Table II(b), since there is no arrival in slot 104, we use $InSeq(103 + 1) = InSeq(104 + 1) = 2400$. However, spending time to look for this next non-empty slot would lose the $O(1)$ property. Instead, we proceed as follows, relying on our eBPF implementation of a sampling module that provides a raw-input dictionary that only keeps the first packet of each slot (§III-C). Such a raw-input dictionary of $N$ slots would have at most $N$ packets. For instance, when using 1-ms slots, a 100 ms dictionary would contain at most 100 packets. Then we can update $InSeq(t)$ and $OutSeq(t)$ going backwards from the last slot to the first, simply filling in empty values with the last seen value. This is an $O(1)$ task per slot.

**Throughput.** To compute the ingress throughput at time $t$, we implement two approaches. One is to simply add the bytes of all packets arrived at time $t$ at the ingress. The second approach, whose per-slot complexity is $O(1)$ as for CBIQ, is to compute the ingress throughput $InThr(t)$ using $InThr(t) = max(InSeq(t + 1) - InSeq(t), 0)$. Of course, while faster, the second approach is more error-prone when there are many retransmissions.

**Online computation with random sampling.** The right side of Table II(b) illustrates the online computation of CBIQ and of the ingress throughput when only the bold packets in Table II(a) are sampled (using the random sampling presented in §III-C). We compute CBIQ and throughput based on $InSeq(t + 1)$ and $OutSeq(t + 1)$ as previously, but now need to take into account that we are missing many packets that introduce a larger error in these values.

**Interpolation.** To reduce the error, when there is no incoming (resp. departing) packet in slot $t + 1$, we linearly interpolate the value of $InSeq(t + 1)$ (resp. $OutSeq(t + 1)$) from the non-empty slots that occurred last and will occur next. For instance, in Table II(b), $InSeq(102) = 2300$ and $InSeq(105) = 2600$, so we estimate that $InSeq(103) - 1 = 2400$ and $InSeq(104) = 2500$ (shown underlined). In practice, to keep an $O(1)$ computation, we start again from the final slot and go backwards. Each time we encounter a sequence of $x$ empty

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**Without Sampling | With Sampling**

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**Example of online Dragonfly input computation, with and without random sampling.** (a) illustrates the per-packet raw inputs, with the sampled packets shown in bold. (b) illustrates the resulting CBIQ and ingress throughput computations, without sampling (left) and with sampling (right). With sampling, computations that rely on interpolation are underlined.
slots, we go through it once to find the next non-empty slot and compute the interpolation slope, then a second time to fill the slot values, thus keeping an amortized $O(1)$ per-slot complexity over the raw-input dictionary.

**E. Dragonfly Learning System**

**Overview.** We are now ready to describe the Dragonfly learning system. After collecting per-packet traffic information using eBPF (§III-C), we provide the resulting dataframes to the learning system (Figure 3), and use these dataframes to compute the per-slot learning inputs (§III-A): CBIQ and ingress throughput (§III-B). To do so, we apply the algorithms described in §III-D. Once we collect these inputs, we feed them into the Dragonfly neural network described below, and finally obtain the classification result.

**Input dataframe.** Fig. 3 shows how a dataframe forms the input to the learning network. Assuming for instance that we use two per-slot inputs (CBIQ and ingress throughput) for each 1 ms slot, and that we want to classify a flow based on an arbitrary flow sub-interval of 100 ms, then the input dataframe size is 100 (slots per sub-interval) × 2 (input features). We normalize each dataframe by dividing each input value by its maximum value in the dataframe, thus obtaining a normalized value between 0 and 1.

**CNN.** Using the pytorch library, we have implemented a CNN (convolutional neural network) module for automatic CCA classification given the above inputs. We choose the CNN architecture rather than (1) a more complex RNN (recurrent neural network) with an LSTM (long-short term memory) or GRU (gated recurrent unit) [39], since we want a simple approach that is easily implementable in routers; and (2) a basic fully-connected neural network, in order to exploit the temporal locality in the dataframes, i.e., the correlation between close time-slots, which are expected to be relatively similar, while keeping a lightweight architecture. Specifically, to build the CNN, we choose a kernel of size $3 \times 2$, 5 convolutional filters, and 5 subsequent modules, each consisting of the following: a 2D convolution layer, a 2D batch normalization, a ReLU activation, and a 2D MaxPool layer. The CNN outputs an array of numbers that indicate the classification score of each potential CCA. The maximum number corresponds to the predicted CCA.

**Training.** We train the model once offline, then reuse it online without retraining it. To train the Dragonfly CNN, we first run 1,500 experiments, either for 10 seconds (Mininet emulation) or for a minute (physical network). These experiments have variable settings to make the training more robust, as detailed in §IV. Assume that we intend to learn to classify flows based on a 100-ms sub-interval. Then we pick a random sub-interval of 100 ms from each of these experiments, thus collecting 1,500 samples, and build their corresponding 1,500 input dataframes. We group those dataframes into batches of size 32 (thus obtaining some 47 batches). We then use some random 70% of the total input for training and the rest (30%) to testing. Training lasts up to 100 epochs, where at each epoch we check once each of the assigned batches, and can stop earlier in case of early convergence of the accuracy measure. We rely on typical optimization tools: an Adam optimization algorithm for stochastic gradient descent, a cross-entropy stopping criterion, and a StepLR learning rate schedule.

**Training speed.** In order to train the model, it takes roughly a second per epoch (during the backpropagation technique), assuming a 100-ms sub-interval and a 1-ms sampling time. Thus, training 100 epochs lasts some 100 seconds.

**IV. Experiments**

In this section, we run four types of evaluations. First, we start by implementing Dragonfly in a Mininet network emulator (§IV-A). Second, we implement Dragonfly on a physical-network testbed (§IV-B). We show that it presents similar results to Mininet, and study the impact of the classification time, amount of noise and sampling rate on classification performance. Third, we evaluate the performance of Dragonfly when communicating with remote destinations in the cloud, using high RTTs and conflicting with unknown flows (§IV-C). Finally, we evaluate the speed of the Dragonfly eBPF traffic collection using an incoming rate of 20 Gbps (§IV-D).

**A. Mininet**

**CCAs.** For a fair comparison, we follow the DeePCCI paper [27] in choosing the CCAs we try to classify: Reno, CUBIC and BBR. We consider $3(n+1) = 3n+3$ source nodes: three special sources, each generating either a Reno, CUBIC or BBR flow, together with $3n$ background flows comprised of $n$ Reno flows, $n$ CUBIC and $n$ BBR. The background flows compete for the shared buffer utilization in the first bottleneck link and therefore can make the classification task harder. We vary the $3n$ within the set $\{0, 15, 30, 60, 75\}$. We use the iperf3 traffic generator to generate all the flows.

**Run time.** Each run lasts $x + 60$ seconds, where $x$ is some initialization length that is drawn u.a.r. (uniformly at random) between 0 and 10 seconds. The starting time of each flow is then drawn u.a.r. between 0 and $x$.

**Topology.** We deploy a network topology that connects the $3n+3$ sources to a common destination by going through two successive routers. The $3n+3$ sources are implemented as $3n+3$ separate hosts. The first router is a bottleneck, and we use its local information to classify flows. The second router is a non-bottleneck pass-through router with essentially empty queues. Both for training and testing, we run each evaluation hundreds of times by varying the topology settings (§III-E). The $3n+3$ sources are connected to the first bottleneck link using links of a variable rate between 100 Mbps and 1 Gbps, with propagation time in both ways. The two routers are connected using a 100-Mbps link with a 10-ms propagation time, thus creating a bottleneck at the first router. The second router connects to the shared destination using a link with a variable rate between 100 Mbps and 1 Gbps with 25-ms propagation time. The bottleneck link’s shared buffer size is 500 packets.
As usually done in the literature, we measure classification performance by using $F_1$, the harmonic mean of precision and recall. It is between 0 and 1, where 1 is best.

**Algorithms.** We implement (1) Dragonfly, (2) Dragonfly with only CBIQ as input and not the ingress throughput, to determine the part that CBIQ plays in the classification, and (3) DeePCCI [27] as a comparison baseline (DeePCCI has no open implementation). Except for the random-sampling experiment, we always run first-packet sampling for Dragonfly but no sampling for DeePCCI, even if it puts Dragonfly at a slight disadvantage. Unless mentioned, each algorithm is trained for each interval duration using the testing environment.

**Impact of sub-interval duration.** Fig. 4 illustrates the $F_1$ testing score as a function of the duration of the sub-interval randomly chosen to classify the flow. We examine a random interval of a varying size out of each 1-minute run, using hundreds of runs (§III-E). Dragonfly achieves an $F_1$ score of 0.97 for 1-minute intervals, while DeePCCI only reaches 0.75.

**B. Physical-Network Experiments**

**Methodology.** We now consider a physical-network testbed. We keep the methodology adopted within the Mininet emulation, with the following changes. First, unlike in Mininet, the link rates and propagation times cannot be arbitrarily changed, and we cannot arbitrarily add dozens of hosts. As a result, the $3n+3$ sources are implemented using two different hosts with two network cards each. All the link rates in the physical network are 1 Gbps. All propagation times follow the physical layout of the setup and are under 1 ms. To change the training (and later testing) topology, we vary (1) the number $3n$ of background flows within the set $\{0, 15, 30, 60, 75\}$, as previously described, and (2) the buffer size of the Linux-based bottleneck link between 2K packets and 16K packets, causing a significant queueing delay of 25 ms to 200 ms. For each sub-interval duration, we train each algorithm once and use the same policy in all tests below without retraining.

**Impact of sub-interval duration.** Fig. 5 illustrates the $F_1$ score performance as a function of the duration of the random flow sub-interval.

**Impact of background traffic.** Fig. 6 illustrates the $F_1$ score performance as a function of the number of background flows that compete with the three special flows. We use 10-second flow sub-intervals. As expected, the classification performance gradually decreases with the number of background flows. For instance, when going from 0 to 75 background flows, the $F_1$ score decreases from 0.9 to 0.74 for Dragonfly and from 0.77 to 0.56 for DeePCCI.

**Impact of random sampling.** Fig. 7 shows the $F_1$ score as a function of the percentage of packets dropped using random sampling. We use 10-second flow sub-intervals and no background flows. We consider random sampling as it is harder for Dragonfly: for instance, a first-packet-per-slot sampling that keeps the first packet of each slot and drops the others would not affect the performance of Dragonfly (§III-C). As expected, the classification performance gradually decreases as the sampling module drops more and more packets. Still, Dragonfly is relatively resilient to dropping about half the packets, and its $F_1$ score only decreases by about 0.1 even when randomly dropping 99% of the packets.

**C. Cloud Experiments**

We now start from the above physical-network testbed but upgrade the line rates and select flow destinations in the cloud. Since the destinations are remote, propagation times are significantly longer to converge to a reasonable performance than Dragonfly. For instance, to reach an $F_1$ score of 0.7, it needs 18 seconds rather than 10 ms.
longer. Furthermore, there are background flows over which we have no control, competing in routers over which we also have no control.

**Methodology.** The methodology is similar to that of the physical network, with the following changes. We first install three AWS servers in Tokyo, N. California and Frankfurt. We measure a throughput of about 750 Mbps with an RTT of 300 ms to two of them, and a throughput of 850 Mbps with an RTT of 40 ms to a third. To do so, we dramatically increase the allowed TCP sending and receiving windows in all the source and destination machines. We use three servers as three flow sources. Each of the three servers independently picks any of the three CCAs in {Reno, CUBIC, BBR}, yielding $3^3$ combinations, and chooses a distinct AWS server destination for its flow. Each server uses a distinct 10-Gbps line to connect to a shared router, which uses a 1-Gbps line to get to the Internet. In addition, we vary the local router buffer length from 1,000 to 6,000 packets, yielding 6 settings, and run Dragonfly at the local router in real time. We run a total of $3^3 \times 6 = 162$ experiments, reflecting the 162 possible settings.

We keep the same Dragonfly as trained on the physical network without retraining it. We run a total of from 1,000 to 6,000 packets, yielding 6 settings, and run Dragonfly at the local router in real time. We run a total of $3^3 \times 6 = 162$ experiments, reflecting the 162 possible settings. We keep the same Dragonfly as trained on the physical network without retraining it.

**Impact of sub-interval duration.** Figure 8 plots the $F_1$ score performance as a function of the random-interval duration. As expected, Dragonfly outperforms DeePCCI. The outperformance is larger for very short intervals, where the built-in memory of CBIQ plays a large role. Specifically, the $F_1$ score of Dragonfly is 0.58 for 100 ms, 0.75 for 6 s, and 0.85 for a minute, while DeePCCI achieves 0.2, 0.5 and 0.62 accordingly.

**D. Speed Experiments**

We find that the main bottleneck in our system is its traffic-collection component, even after replacing tcpdump with eBPF (§III-C). Therefore, we want to evaluate whether our proposed eBPF first-packet-per-slot sampling module (described in §III-C) helps alleviate this bottleneck.

Table II details our experimental settings and results. We upgrade all of our physical-network testbed links to 10 Gbps. We use four server sources, each sending one flow to one of two possible destination nodes through a unique shared router. Since all lines run at 10 Gbps and each router egress line is shared by two flows, each flow runs at about 5 Gbps. (In the 10-Gbps experiment, only two source servers are used with a shared destination.) A single eBPF router module collects all ingress and egress traffic at both router outputs. We run each experiment for a minute, with an eBPF captured-traffic table size limited to 5M entries, due to server memory limitations. We find that if eBPF simply collects traffic and does not apply first-packet sampling at each 1-ms slot, the table fills up quickly and we cannot capture more traffic. For instance, at 20 Gbps, it fills up after we collect 5M packets out of 42M, i.e., after $5/42 \cdot 60 \approx 7$ s. Furthermore, it takes 140 s to later convert it to a userspace dataframe. However, using eBPF first-packet sampling, we can capture all traffic, and then build the dataframe $10 \times$ faster, even though we rely on an unoptimized Python code. Note that this build time implicitly limits the number of monitored flows. To scale, we may want to use an optimized C implementation rather than a naive Python one. Moreover, note that the number of packets does not scale linearly with the line rate in the table, because TSO creates bigger packets more often at 20 Gbps.

**V. RELATED WORK**

**Host classification.** Several works [40], [41] attempt to identify the CCA used by a given end-host, such as a web server, often by actively influencing its traffic and monitoring the host’s reaction. In this paper, we are interested in a passive method that may lie in a far-removed network router.

**Offline classification.** Several works [24]–[26] assume that they can monitor in an offline manner all of the packets on both the forward packet path and the reverse ACK path. This paper does not assume access to the reverse path. In contrast, DeePCCI [27] does not need to monitor the reverse path. It relies on a novel and fully generic classification approach that can handle any CCA. DeePCCI appears to be the state of the art in the literature, and we compare against it.

### Table II: Speed Experiment: one-minute experiment to check the eBPF traffic-collection rate with either 10-Gbps or 20-Gbps traffic, using an eBPF captured-traffic table size of 5M entries.

<table>
<thead>
<tr>
<th>Settings</th>
<th>Rate</th>
<th>Flows</th>
<th>Packets</th>
<th>No first-packet sampling</th>
<th>First-packet sampling</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>Capture duration</td>
<td>Build time</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>60 sec (100%)</td>
<td>2 sec (30%)</td>
</tr>
<tr>
<td>10 Gbps</td>
<td>2</td>
<td>24 M</td>
<td>13 sec (54%)</td>
<td>140 sec (0.09 ×)</td>
<td>60 sec (100%)</td>
</tr>
<tr>
<td>20 Gbps</td>
<td>4</td>
<td>42 M</td>
<td>7 sec (12%)</td>
<td>140 sec (0.05 ×)</td>
<td>60 sec (100%)</td>
</tr>
</tbody>
</table>

![Fig. 7. Physical-network experiment: $F_1$ score as a function of the percentage of packets dropped using random sampling.](image1)

![Fig. 8. Cloud experiment: $F_1$ score as a function of the duration of the random flow sub-interval, for flows sent to a cloud destination.](image2)
Online classification. In [28], the authors introduce an original way of leveraging programmable dataplanes. To our knowledge, it is the only paper in the literature that focuses on practical online classification at high line rates. However, it assumes additional hardware, and the accuracy of its CNN-based algorithm drops significantly when it needs to handle more than two CCAs, as would be expected in practice.

Enforcing fairness. In [34], the authors use programmable switches to classify flows into CCA families, e.g., modeling whether they are loss-based, delay-based, or both. Then, they group flows in buffers accordingly. They show a significant gain in fairness. However, they do not try to provide an exact CCA classification, and can classify in the same family two loss-based CCAs with significantly different aggressiveness.

VI. CONCLUSION

In this paper, we introduced the Dragonfly system, which is designed to classify on the fly the congestion control algorithm of any flow that crosses a given router, starting at any time, and quickly provide a classification result with a reasonable accuracy. To do so, we introduced CBIQ, and explained how to compute it in $O(1)$. We further designed an eBPF-based implementation. Finally, we evaluated our Dragonfly system using a variety of platforms, showed how its accuracy clearly outperformed that of DeePCCI, and analyzed its traffic-collection speed using 20-Gbps traffic.

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REFERENCES


